### **CP** Violation: SM & Beyond

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### Univ. of Southampton (6/19/07)

### OUTLINE

- Status of SM CKM paradigm
- Why is precision of paramount importance?
- Prospects for needed precision
- Possible signs of BSM-CP-odd phase?
- Illustrative candidates for BSM
- BSMs & EDMs
- Summary

#### B-factories help attain an important milestone

- CKM constraints using expts.  $[\epsilon_K, b \to u l \nu, \Delta m_d, \Delta m_s / \Delta m_d]$ + lattice + phenom.  $\Rightarrow (\sin 2\beta)_{SM} \approx 0.70 \pm 0.10$   $^{79}\pm .10$
- $a_{CP}(B \rightarrow \psi K^0)$  [BELLE/BABAR/CDF....]  $\Rightarrow \sin 2\beta = 0.734 \pm 0.074$ , 03 0.055  $\Rightarrow$  CKM phase is the dominant contributor to  $a_{CP}$   $\Rightarrow$  CP-odd phase(s) due BSM ( $\chi_{BSM}$ ) may well cause only small deviations from SM in B-Physics

Search must go on

Search for CP-odd phase(s) [ $\chi_{BSM}$ ] due BSM-physics is especially well motivated as there are essentially compelling reasons that they exist:

Extensions of SM invariably lead to new phase(s), besides baryogenesis is difficult to account for by the CKM paradigm

### Lightning recap to SM-CKM paradigm of CPV

### CKM unitary matrix

 $\sim 1/.$   $\lambda = .2257 \pm .0021$  $\sim 21.$   $A = .818 \pm .007$ = .017CKM matrix relates weak and mass eigenstates of quarks Four physical parameters; fundamental constants of the SM Complex elements allow (only source of) CP violation in SM<sup>25</sup>/<sub>2</sub>  $\mathcal{Y}_{ud}$   $\mathcal{Y}_{ub}$  +  $V_{cd}V_{cb}^* + (V_{td}V_{tb}^*) = 0$   $\mathcal{Y}_{ud}$   $\mathcal{Y}_{ub}$  +  $V_{cd}V_{cb}^* + (V_{td}V_{tb}^*) = 0$   $\mathcal{Y}_{ud}$   $\mathcal{Y}_{ub}$  +  $\mathcal{Y}_{cd}V_{cb}^* + (V_{td}V_{tb}^*) = 0$ Wolfenstein expansion (A~0.82,  $\lambda$ ~0.23,  $\rho$ ,  $\eta$ ) in powers of  $\lambda$ :  $\mathbf{V} = \begin{pmatrix} \mathbf{V}_{ud} & \mathbf{V}_{us} & \mathbf{V}_{ub} \\ \mathbf{V}_{cd} & \mathbf{V}_{cs} & \mathbf{V}_{cb} \\ \mathbf{V}_{td} & \mathbf{V}_{ts} & \mathbf{V}_{tb} \end{pmatrix} = \begin{pmatrix} \mathbf{1} - \frac{1}{2}\lambda^2 & \lambda & \mathbf{A}\lambda^3(\rho - i\eta) \\ -\lambda & \mathbf{1} - \frac{1}{2}\lambda^2 & \mathbf{A}\lambda^2 \\ \mathbf{A}\lambda^3(\mathbf{1} - \rho - i\eta) & -\mathbf{A}\lambda^2 & \mathbf{1} \end{pmatrix} + \mathbf{O}(\lambda^4)$ 

Only two complex elements to this order; both small  $\sim \lambda^3$ 

) Jan 2007

B Physics from the B Factories

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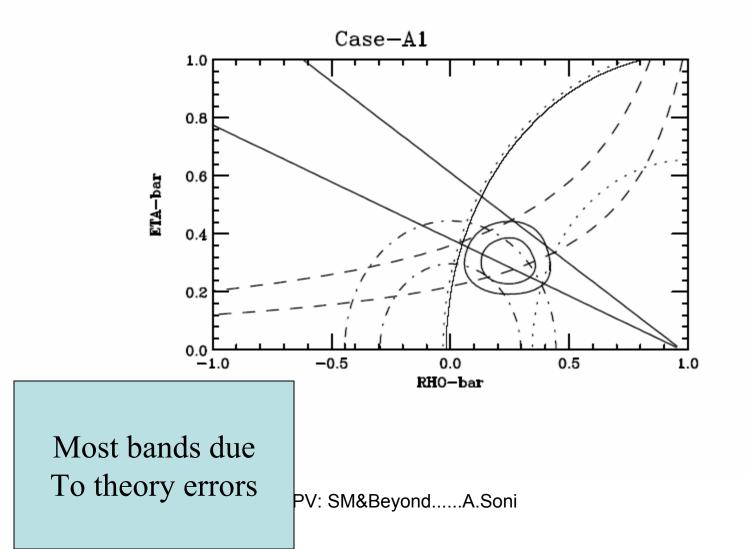
#### Unitarity triangle

Represent as "Unitarity Triangle" in complex  $\rho$ , $\eta$  plane To O( $\lambda^6$ ), use corrected values:  $\overline{\rho} = \rho(1 - \lambda^2/2), \ \overline{\eta} = \eta(1 - \lambda^2/2)$ n  $\alpha/\phi_2 = \arg\left[-\frac{V_{td}V_{tb}^*}{V_{ud}V_{ub}^*}\right] =$ Apex is  $(\bar{\rho},\bar{\eta})$  $R_u = \frac{V_{ud}V_{ub}^*}{V_{ub}}$  $+\eta^{-2}$  $\alpha/\phi_2$  $R_t = \frac{V_{td}V_{tb}^*}{V_{cd}V_{cb}^*}$  $^{2} + \eta^{2}$ R<sub>t</sub>  $\approx \sqrt{(1-\rho)}$ Ru  $\beta/\phi_1$ // Ø - Ā (1,0)(0,0)V<sub>ud</sub>V<sub>ub</sub>  $\frac{V_{cd}V_{cb}^{*}}{V_{cb}}$  $arg[V_{ub}^*]$  $\beta / \phi_1 = \arg$  $\gamma/\phi_3 = \arg$ arg V

CPV: SM&Beyond...

### 1<sup>st</sup> Hints of confirmation Of CKM-CP violation

# Atwood&A.S, hep-ph/0103197



#### Theoretical Underpinnings (see e.g. Ciuchini et al, hep-ph/0012308)

• CP violation in the kaon system which is expressed by  $|\varepsilon_K|$ 

$$|\varepsilon_K| = C_{\varepsilon} A^2 \lambda^6 \bar{\eta} \left[ -\eta_1 S(x_c) + \eta_2 S(x_t) \left( A^2 \lambda^4 \left( 1 - \bar{\rho} \right) \right) + \eta_3 S(x_c, x_t) \right] \hat{B}_K,$$
(2.4)

where

$$C_{\varepsilon} = \frac{G_F^2 f_K^2 m_K m_W^2}{6\sqrt{2}\pi^2 \Delta m_K}.$$
(2.5)

 $S(x_i)$  and  $S(x_i, x_j)$  are the appropriate Inami-Lim functions [27] of  $x_q = m_q^2/m_W^2$ , including the next-to-leading order QCD corrections [28, 30]. The most uncertain parameter is  $\hat{B}_K$ .

• The  $B_d^0 - \bar{B}_d^0$  time oscillation period which can be related to the mass difference between the light and heavy mass eigenstates of the  $B_d^0 - \bar{B}_d^0$  system

$$\Delta m_d = \frac{G_F^2}{6\pi^2} m_W^2 \eta_c S(x_t) A^2 \lambda^6 \left[ (1 - \bar{\rho})^2 + \bar{\eta}^2 \right] m_{B_d} f_{B_d}^2 \hat{B}_{B_d} , \qquad (2.2)$$

where  $S(x_t)$  is the Inami-Lim function [27] and  $x_t = m_t^2/M_W^2$ .  $m_t$  is the  $\overline{MS}$  top mass,  $m_t^{\overline{MS}}(m_t^{\overline{MS}})$ , and  $\eta_c$  is the perturbative QCD short-distance NLO correction. The remaining factor,  $f_{B_d}^2 \hat{B}_{B_d}$ , encodes the information of non-perturbative QCD. Apart for  $\bar{\rho}$  and  $\bar{\eta}$ , the most uncertain parameter in this expression is  $f_{B_d}\sqrt{\hat{B}_{B_d}}$ . The value of  $\eta_c = 0.55 \pm 0.01$  has been obtained in [28] and we used  $m_t = (167 \pm 5)$  GeV, as deduced from measurements of the mass by CDF and D0 Collaborations [29].

• The limit on the lower value for the time oscillation period of the  $B_s^0 - \bar{B}_s^0$ system is transformed into a limit on  $\Delta m_s$  and compared with  $\Delta m_d$ 

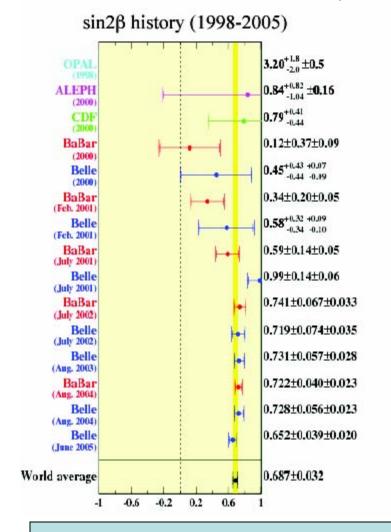
$$\frac{\Delta m_d}{\Delta m_s} = \frac{m_{B_d} f_{B_d}^2 \hat{B}_{B_d}}{m_{B_s} f_{B_s}^2 \hat{B}_{B_s}} \left(\frac{\lambda}{1 - \lambda^2/2}\right)^2 \left[(1 - \bar{\rho})^2 + \bar{\eta}^2\right].$$
(2.3)

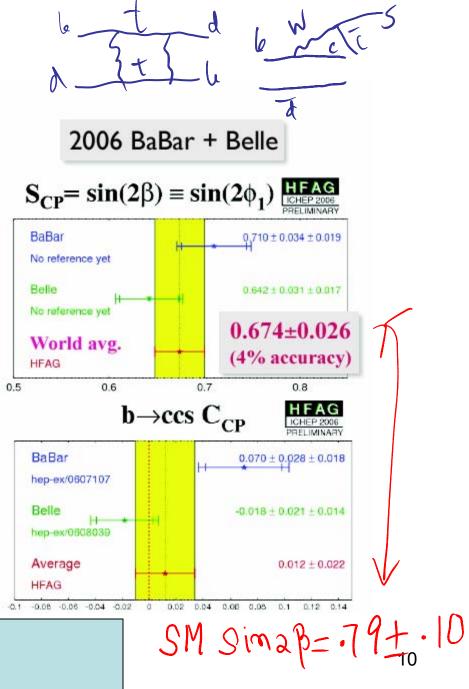
The ratio  $\xi = f_{B_s} \sqrt{\hat{B}_{B_s}} / f_{B_d} \sqrt{\hat{B}_{B_d}}$  is expected to be better determined from theory than the individual quantities entering into its expression. In our analysis, we accounted for the correlation due to the appearance of  $\Delta m_d$  in both Equations (2.2) and (2.3).

• The relative rate of charmed and charmless *b*-hadron semileptonic decays which allows to measure the ratio

$$\left|\frac{V_{ub}}{V_{cb}}\right| = \frac{\lambda}{1 - \lambda^2/2} \sqrt{\bar{\rho}^2 + \bar{\eta}^2}.$$
(2.1)

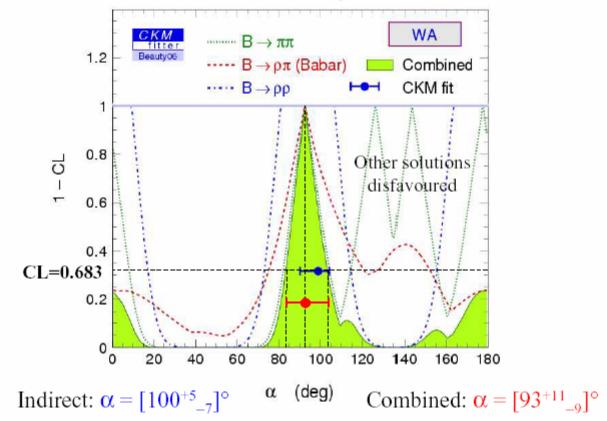
### MEASUREMENT of B(Pi)

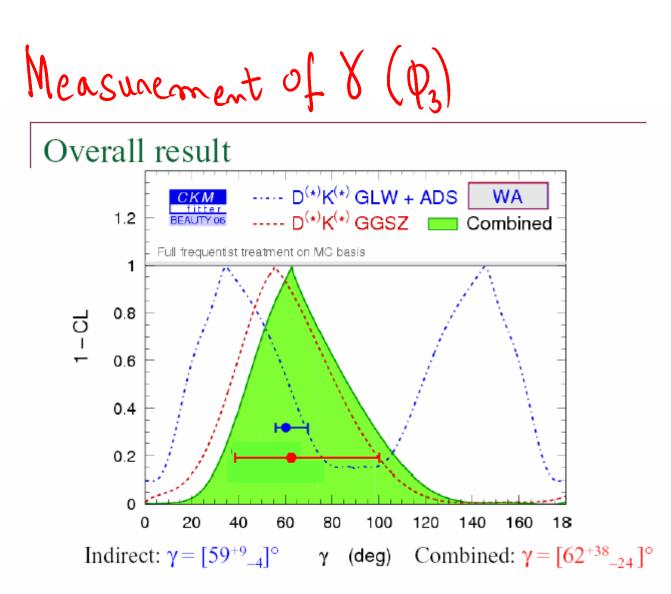


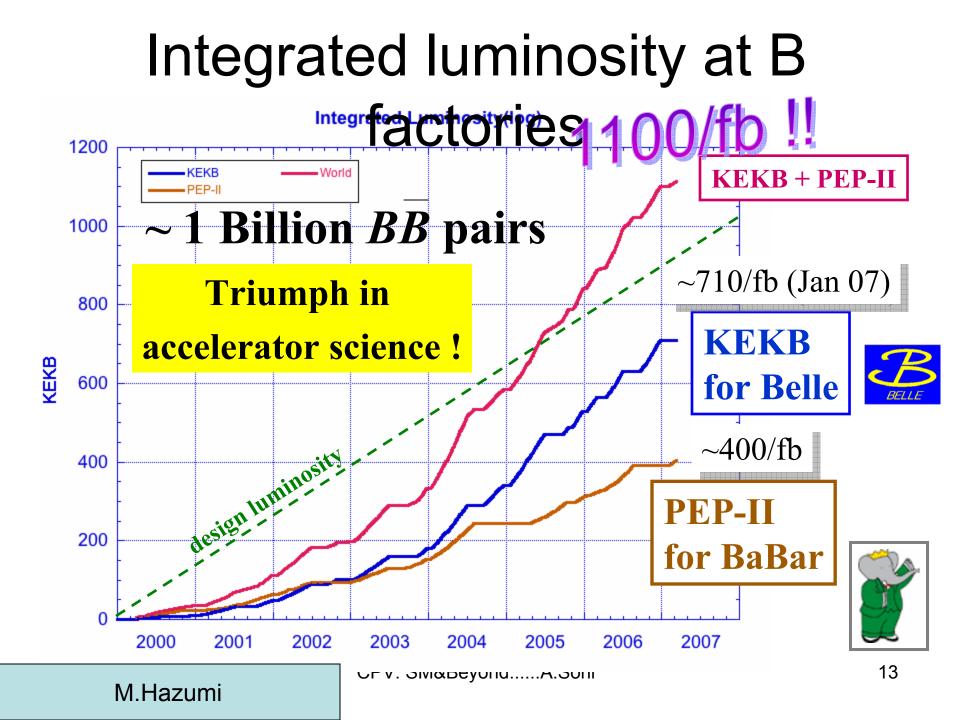


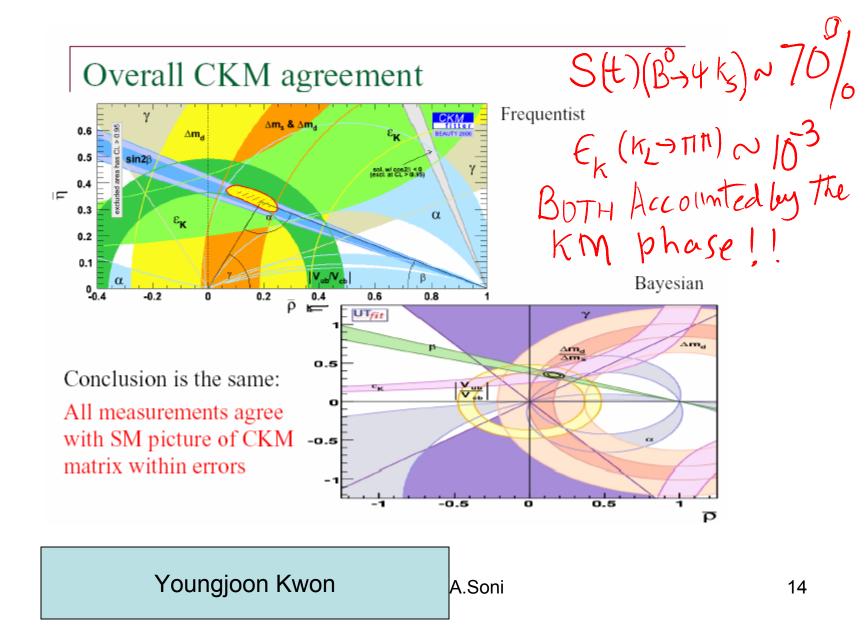
Measurement of  $\mathcal{A}(\mathfrak{P}_2)$ 

#### Overall result, including $\rho\pi$









Celebration II: A beautiful theory paper which not only suggested the need for the 3<sup>rd</sup> family, before the discovery of charm and tau, its framework is vindicated in detail through exhaustive experimentation ~35 years later!!

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Progress of Theoretical Physics, Vol. 49, No. 2, February 1973

#### **CP-Violation in the Renormalizable Theory** of Weak Interaction

Makoto KOBAYASHI and Toshihide MASKAWA

Department of Physics, Kyoto University, Kyoto

(Received September 1, 1972)

In a framework of the renormalizable theory of weak interaction, problems of CP-violation are studied. It is concluded that no realistic models of CP-violation exist in the quartet scheme without introducing any other new fields. Some possible models of CP-violation are also discussed.

#### And of course we must not forget the C!

#### UNITARY SYMMETRY AND LEPTONIC DECAYS

Nicola Cabibbo CERN, Geneva, Switzerland (Received 29 April 1963)

We present here an analysis of leptonic decays based on the unitary symmetry for strong interactions, in the version known as "eightfold way,"<sup>1</sup> and the V-A theory for weak interactions.<sup>2,3</sup> Our basic assumptions on  $J_{\mu}$ , the weak current of strong interacting particles, are as follows:

(1)  $J_{\mu}$  transforms according to the eightfold representation of SU<sub>3</sub>. This means that we neglect currents with  $\Delta S = -\Delta Q$ , or  $\Delta I = 3/2$ , which should belong to other representations. This limits the scope of the analysis, and we are not able to treat the complex of  $K^0$  leptonic decays, or  $\Sigma^+ \rightarrow n + e^+ + \nu$  in which  $\Delta S = -\Delta Q$  currents play a role. For the other processes we make the hypothesis that the main contributions come from that part of  $J_{\mu}$  which is in the eightfold representation.

(2) <u>The vector part of  $J_{\mu}$  is in the same octet as</u> the electromagnetic current. The vector contribution can then be deduced from the electromagnetic properties of strong interacting particles. For  $\Delta S = 0$ , this assumption is equivalent to vector-

### Should 10% tests be good enough?

### Vital Lessons from our past

- LESSON # 1: Remember  $\varepsilon_{K}$
- Its extremely important to reflect on the severe and tragic consequences if
- Cronin et al had decided in 1963 that O(10%) searches for ε were good enough!
- Imagine what an utter disaster for our field that would have been.

Note also even though CKM-CP-odd phase is O(1) (as we now know) in the SM due to this O(1) phase only in B-physics we saw large effects... in K (miniscule), D(very small), t(utterly negligible).

Understanding the fundamental SM parameters to accuracy only of O(10%) would leave us extremely vulnerable .....Improvement of our understanding should be our crucial HOLY GRAIL! CPV: SM&Beyond.....A.Soni 17

### Lesson #2

### Remember m<sub>v</sub>

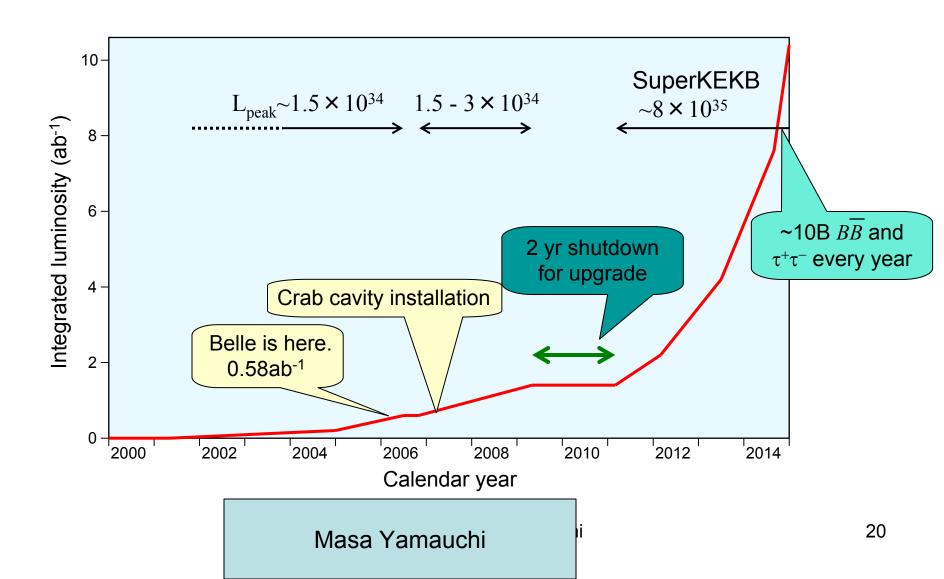
Just as there was never any good reason for  $m_v = 0$ there is none for BSM-CP-odd phase not to exist  $\Delta m^2 \sim 1eV^2 \sim 1980 \rightarrow \Delta m^2 \sim 10^{-4} eV^2 \dots 97$ 

Osc. Discovered....

Similarly for BSM-CP-odd phase, we may need to look for much smaller deviations than the current O(10%) demanding precision from expt. & theory

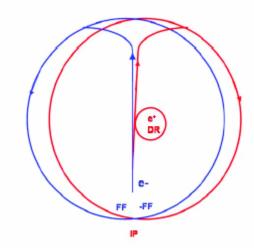
# Prospects for improved exptal precision

### **Proposed schedule**



#### SuperB @ INFN

	PEP-II	SuperB		
$\sigma_{z}$	1cm	1cm		
$\theta_{1/2}$	0	25 mrad		
$\sigma_{\mathbf{x}}$	100 µm	2 <b>.</b> 7 µm		
$\sigma_z{}^{\text{Eff}}$	1cm	40 µm		
$\beta_v$	0.8 cm	80 µm		
$\sigma_{v}$	4 µm	12 nm		
ξv	0.07	< 0.07		
L	<b>~</b> 10 <sup>34</sup>	<b>~</b> 10 <sup>36</sup>		



Tor Vergata site between 3.0 Km and 2.2 Km



#### Aaron Roodman @DPF06

HOLY SUMMARY on UTA GRAIL ITE 109 (2/ab) NOW (1/ah) Angle  $\sim 3.5^{\circ}/_{\circ}$ <1%  $4^{\circ}/_{\circ}$  $\beta(q_i)$ ~ fev°/o  $\sim 9/0$  $\approx 12 \int_{0}^{3}$  $\approx 50 \int_{0}^{3}$  $\mathcal{L}(\mathcal{P}_2)$ ~0.1°/o SBF is ESSENT/AL  $\simeq 25/.$  $\mathcal{J}(\phi_3)$ EXPT. ERADR->

Prospects for improved lattice calculations

### ~25 years of B<sub>K</sub>

C. Bernard, A. Soni / Weak matrix elements on the lattice

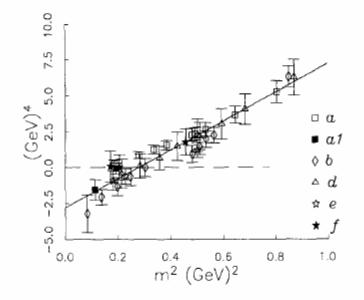


FIGURE 4 The amplitude  $\langle \bar{K}^0 | (\Delta s = 2)_{LL} | K^0 \rangle \times 10^2$  vs.  $m^2$ . The solid line is a naive (uncorrelated) fit to the data.

 $\langle \bar{K}^0 | (\Delta s = 2)_{LL} | K^0 \rangle$  with Wilson fermions has been proposed in Ref. 32. One starts by writing the CPTh form for the matrix elements of the continuum (physical) operator and for its Wilson lattice counterpart:

$$\langle \bar{K}^{0} | (\Delta s = 2)_{LL} | K^{0} \rangle^{cont} = \gamma (p_{K} \cdot p_{R}) + \cdots$$
$$\langle \bar{K}^{0} | (\Delta s = 2)_{LL} | K^{0} \rangle^{latt} = \alpha + \beta m^{2} + \gamma' (p_{K} \cdot p_{R}) + \cdots,$$
(8)

where the  $\alpha$  and  $\beta$  terms in the lattice amplitude (and the change from  $\gamma$  to  $\gamma'$ ) are due to "bad" chirality operators such as  $O'_{\pm}$  which have not been correctly removed by perturbation theory. Note that for K,  $\bar{K}$  at rest,  $p_K \cdot p_{\bar{K}} =$  $m^2$ ; while for the crossed amplitude  $\langle \bar{K}^0 \bar{K}^0 | (\Delta s = 2)_{LL} | 0 \rangle$ ,  $p_K \cdot p_{\bar{K}} = -m^2$ . Both the original  $K^0 - \bar{K}^0$  amplitude and the crossed amplitude are then computed at rest on the lattice for various values of m, and the  $\gamma'$  term is extracted by a fit to the data. Finally, with the assumption  $\gamma \simeq \gamma'$  (see below for a critique), the order  $m^2$  term in the continuum ampli-

> Bernard & A.S. Lattice '88

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**Chiral Symmetery & fine tuning**  $\Delta S = 2 \quad (5 \forall u d)^2 = 0^{cont} (V - A) \times (V - A)$   $O_{LL}^{cont} = > (1 + c_{LL} S^2) \quad Jatt + C_{PP} \frac{2}{f} P \times P + \cdots - I_{Gn}^{Cn} M \quad WRONG Chinal ty$  WRONG Chinal ty WRONG Chinal ty WRONG Chinal ty(KIOLLIK) mg 30 ; (KIPXPIK) -> Coust mg 30

Accurate evaluation of O<sub>LL</sub> requires precise knowledge of C's -> SEARCHING FOR A NEEDLE IN A HAYSTACK

# ΔS=1, a deathbed w/o chiral symmetry

C.g. (SYnd) (W)

MIXING WITH LDO

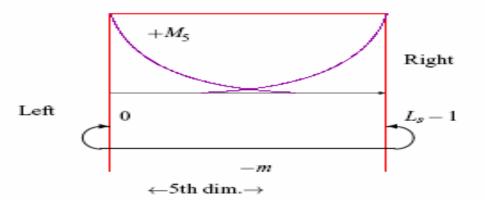
Sd ~ Std DEATH-BED

MIXING WITH DIMG OPSOY Whong of Similar to DS=2 UPHILL TASK

#### EXACT CHIRAL SYMMETRY ON THE LATTICE

Conventional fermions do not preserve chiral-flavor symmetry on the lattice (Nielsen - Ninomiya Theorem)  $\Rightarrow \Delta S = 1, \Delta I = 1/2$  case mixing with lower dim. (power-divergent) operators & or mixing of 4-quark operators with wrong chirality ones makes lattice study of  $K - \pi$  physics virtually impossible.

**Domain Wall Fermions** (Kaplan, Shamir, Narayanan and Neuberger)

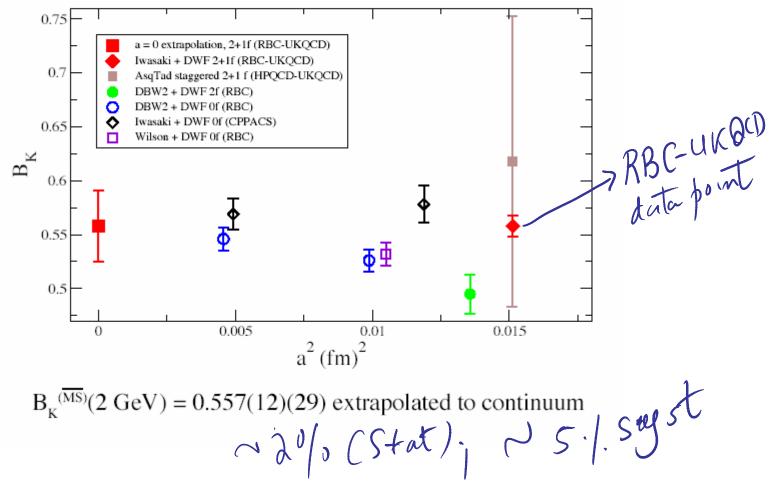


Practical viability of DWF for QCD demonstrated (96-97) Tom Blum & A. S. Chiral symmetry on the lattice,  $a \neq 0$ ! Huge improvement

 $\Rightarrow$  Now widespread use at BNL and elsewhere

#### RBC-UKQCD's 2+1 dynamical DWQ hep-ph/0702042

### Final Result for $B_{\kappa}$





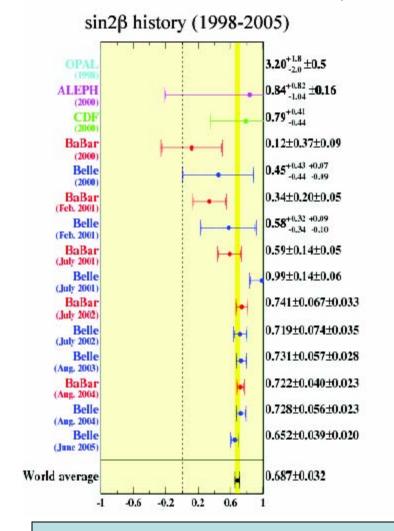


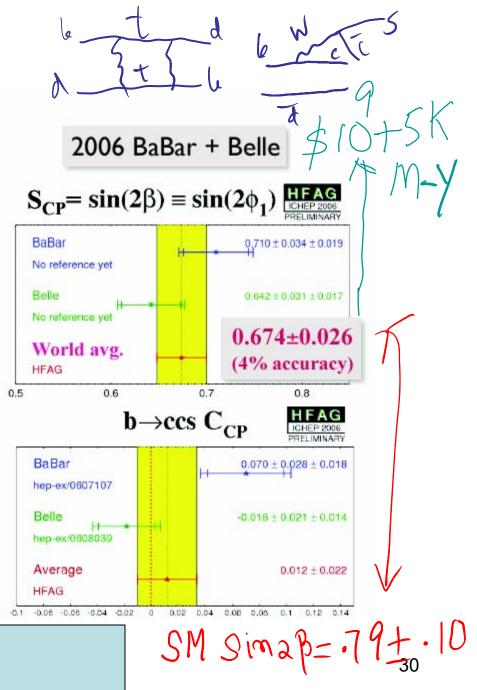
### **Brief (~25 years) History of B<sub>K</sub>**

, ~'83 DGH use K<sup>+</sup> lifetime + LOChPT + SU(3)-> B<sub>K</sub>~0.33... no error estimate, no scale dependence. APPROX MATION  $\rightarrow$ 

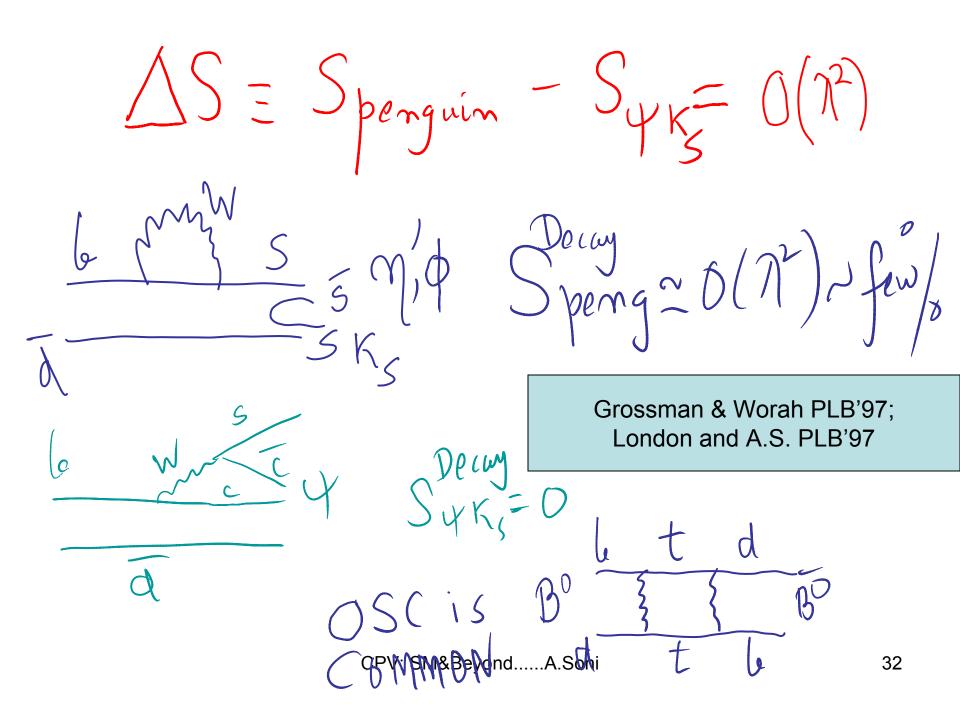
- ~'84 Lattice method for WME born...many attempts & improvements for  $B_{\kappa}$  evaluations
- ~'98 JLQCDstaggered  $B_{K}$  (2GeV)= 0.628(42)quenched(~110). ~'97 1<sup>st</sup>  $B_{K}$  with DWQ(T.Blum&A.S),0.628(47) quenched. ~'01 RBC  $B_{K}$  with DWQ, quenched=0.532(11) quenched ~'05 RBC, nf=2, dyn. DWQ,  $B_{K}$ =0.563(21)(39)(30) ~'06 Gimnez et al (HPQCD; stagg.) 2+1,  $B_{K}$ =0.618(18)(19)(30)(130) ~07,RBC-UKQCD DWQ 2+1 ....0.557(12)(29) DWQ lower  $B_{K}$  -> requiring larger CKM-phase ~'08 Target 2+1 dyn. DWQ,  $B_{K}$  with total error 5%

### MEASUREMENT of B(Pi)





## Tantalizing (possible) signs of a BSM-CP phase



# Testing the SM with penguin dominated modes

•  $\Delta S = C_{MD} O(\lambda^2)$  , expect  $C_{MD} \sim O(1)$ 

- Sigificant deviation from this expectation is a sign of BSM-CP-odd phase!
- Unfortunately C<sub>MD</sub> is a (QCD) model dependent coefficient

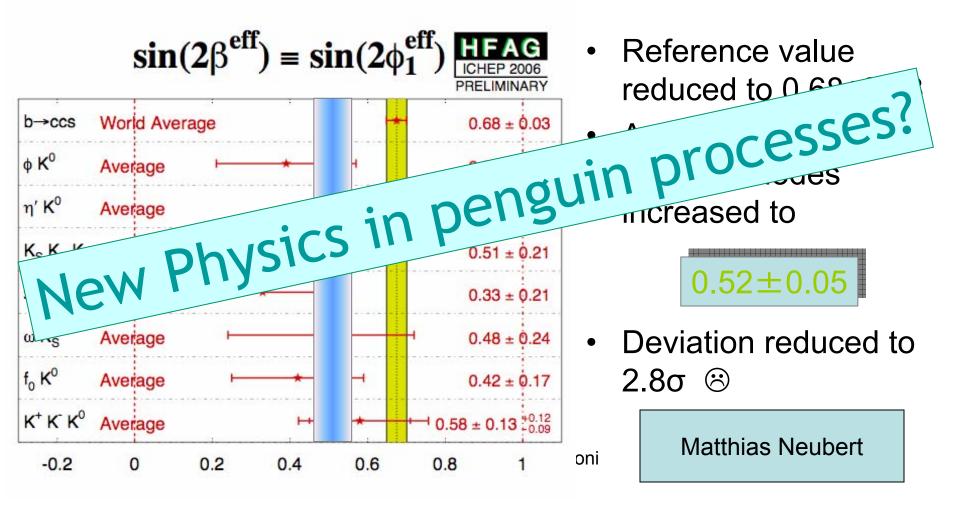
TABLE I: Some expectations for  $\Delta S$  in the cleanest modes.

Mode	QCDF+FSI [20, 21]	QCDF [23]	QCDF [24]	SCET $[25]$
$\eta' K^0$	$0.00^{+0.00}_{-0.04}$	$0.01\pm0.01$	$0.01\pm0.02$	$-0.019\pm0.009$
				$-0.010\pm0.001$
$\phi K^0$	$0.03\substack{+0.01\\-0.04}$	$0.02\pm0.01$	$0.02\pm0.01$	
$K_S K_S K^0$	$0.02^{+0.00}_{-0.04}$			

### **CLEANEST MODES**

Comp	aris	on to l sin(2	β <del>eff</del> )≣	cēs ≡ sin(	( <b>2</b> ¢)	eff) HFAG DPF/JPS 2006 PRELIMINABY	INTI	- 716U11	NG.
sin2β from J/ψK	b→ccs	World Aver	age			0.68±0.03		$\backslash$	
	(∮ K <sup>0</sup> )	Average		F#1		0.39±0.18			
1	ŋ′ K⁰	Average		F		0.61 ± 0.07	NP?		
	K <sub>s</sub> K <sub>s</sub> K	Average		⊢★ I		0.51 ± 0.21	More		
	$\pi^{\circ} K_{s}$	Average		<b>⊢</b> ★-1		0.33±0.21	data		
	ρ⁰ K <sub>s</sub>	Average		*	ŧ.	$0.20\pm0.57$	1 1		Y .
	ωK <sub>S</sub>	Average		++		0.48 ± 0.24		A 1	515
	$f_{D} \mathbf{K}^{O}$	Average		+++		0.42±0.17		50	- Pomptice
	π° π° K <sub>S</sub>	Averag <del>e</del>	*	•		-0.84 ± 0.71	(almos	( ) Sy 	Succession of the second
	K⁺ K⁻ K⁰	Average		++		0.58±0.13	Opposil	.e TC	)
	-3	-2	-1	0	1	2 3	11	, u	
		gjoon K latthias I			)	A.Soni	needed SIGN C (almos Opposit Theo	Y	35

# **Current situation**



On the issue of addingmany modes EXTRACT from David London + A.S PLB407, 61 (1997) where MKs and many peng dominated modes were 1st discossed. To sum up this point, CP asymmetries in  $b \rightarrow s$  penguins do indeed measure the CP angle  $\beta$ . The tree contributions to these decays are quite small, at most a few percent. It is therefore possible to add up the measured CP asymmetries in all these modes to obtain a larger signal. If the value of  $\beta$  extracted in this way differs by more than about 10% from that found in  $\Psi K_s$ , then it is a clear signal of new physics, with new phases, in the  $b \rightarrow s$  FCNC. If the difference is less than about 10%, it could in principle be due to the tree contamination. However, this can be checked by using only the final states  $\phi K_s$  and  $\eta' K_s$  (to a very good approximation).

However, call from Stockholm will demand conclusive evidence for ΔS>0.10 in several separate modes Although, at the moment it is not a conclusive effect, it may well become a serious blunder on the part of experimentalists to ignore it! We can try learn some lessons from history.

It is extremely important to understand that basically it is a very good test of the SM.

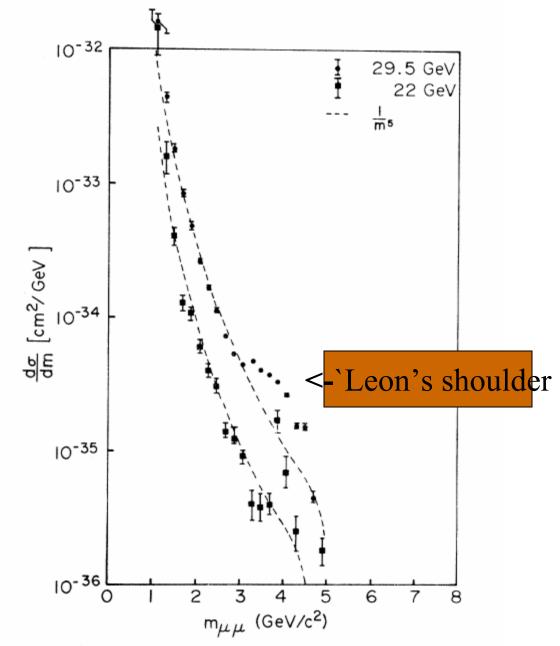


FIG. 15. Experimental cross sections at two energies compared with a simple  $1/m^5$  continuum.

#### Christenson,Hicks,Lederman,Limon,Pope & Zavattini PRD 8,2016 '72

OBSERVATION OF MUON PAIRS IN HIGH-ENERGY HADRON...

mass range of 3-5 GeV/ $c^2$ , there is a distinct excess of the observed cross section over the reference curve. If this excess is assumed (certainly not required) to be the production of a resolutionbroadened resonance, the cross-section-branching-ratio production  $\sigma B$  would be approximately  $6 \times 10^{-35}$  cm<sup>2</sup>, subject to the cross-section uncertainties discussed above. Alternatively the excess may be interpreted as merely a departure from the overly simplistic (and arbitrarily normalized)  $1/m^5$  dependence. In this regard, we should remark that there may be two entirely different processes represented here: a low- $Q^2$  part which has to do with vector mesons, tail of the  $\rho$ , bremsstrahlung, etc., and a core yield with a slower mass dependence, which may be relevant to the scaling argument discussed below.

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The "heavy photon" pole that has been postulated<sup>32</sup> to remove divergence difficulties in quancles produced in the initial proton-uranium collision. In principle, these secondary particles could also create muon pairs. In this case, the observed spectrum would represent the inseparable product of the spectrum of the secondary particle and its own yield of muon pairs. In exploratory research of this kind this disadvantage is largely offset by the fact that the variety of initial states provides a more complete exploration of dimuon production in hadron collisions.

#### 2. Real Photons

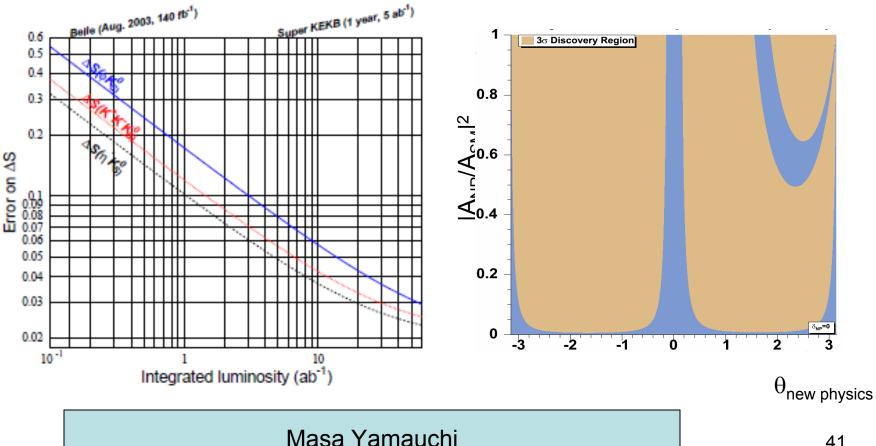
Real photons produced in the target (presumably from the decay of neutral pions) yield muon pairs by Bethe-Heitler or Compton processes. Estimates were made for the photon flux on the basis of pion-production models,<sup>27,28</sup> and this method of calculating the flux was checked against the experimental data of Fidecaro *et al.*<sup>33</sup> The argument

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## Sensitivity to new CP phases

Estimated error in the measurement of time dependent CP violation

Discovery region with 50 ab<sup>-1</sup>



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## So far 3 numbers

- Expt [ $\epsilon_{K}$ , B-mixing, b->uev...] + Lattice WME -> sin2 $\beta_{SM}$  =0.79+-0.10
- BF measurements [B -> "ψ" K<sub>S</sub>]=0.674+-0.026
- BF measurements [B-> (φ, η'...) K<sub>S</sub>]=0.52+-.05

## -> Deviations 2.8 - 3.5 sigmas

Last but quite significant #  $\begin{array}{l} A_{CP}(B^{\circ} \rightarrow K^{\dagger}\pi^{-}) = -9.7 \pm 1.2^{\circ}/_{\circ} \\ A_{CP}(B^{\dagger} \rightarrow K^{\dagger}\pi^{\circ}) = 4.7 \pm 2.6^{\circ}/_{\circ} \\ \Delta A_{CP} = (4.4 \pm 2.9)^{\circ}/_{\circ} \end{array}$ predicts  $\Delta A_{c}$ (4)  $\approx 0$ 43 CPV: SM&Beyond.....A.Soni

# Summary so far

- The CKM-paradigm of CP violation accounts for the observed CP patterns to an accuracy of about 15%!
- Remarkably in the past few years several B-factories results exhibit 2.5
   -3.5 σ deviations from the SM-CKM paradigm!!



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## Honest answer &

- Don't really know (too many possibilities...)
- But theoretically the most interesting possibility is that we may be witnessing Dawning of the age of

### "Warped Quantum Flavordynamics"

# RANDALL+SUNDRUM 99

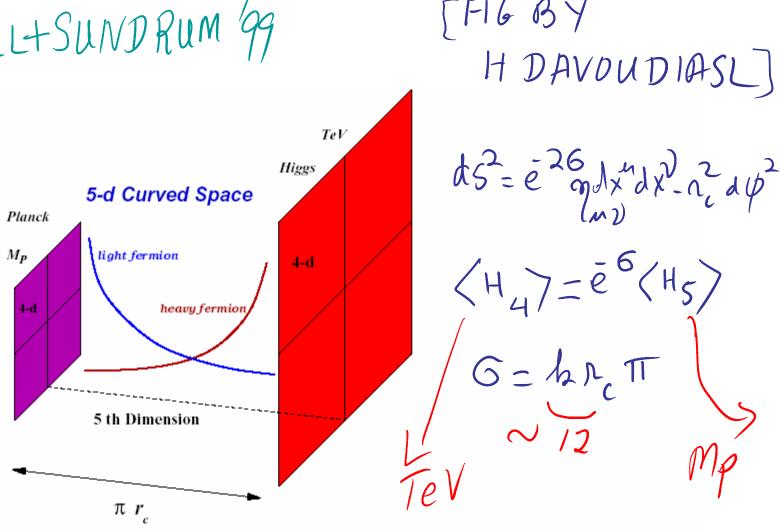
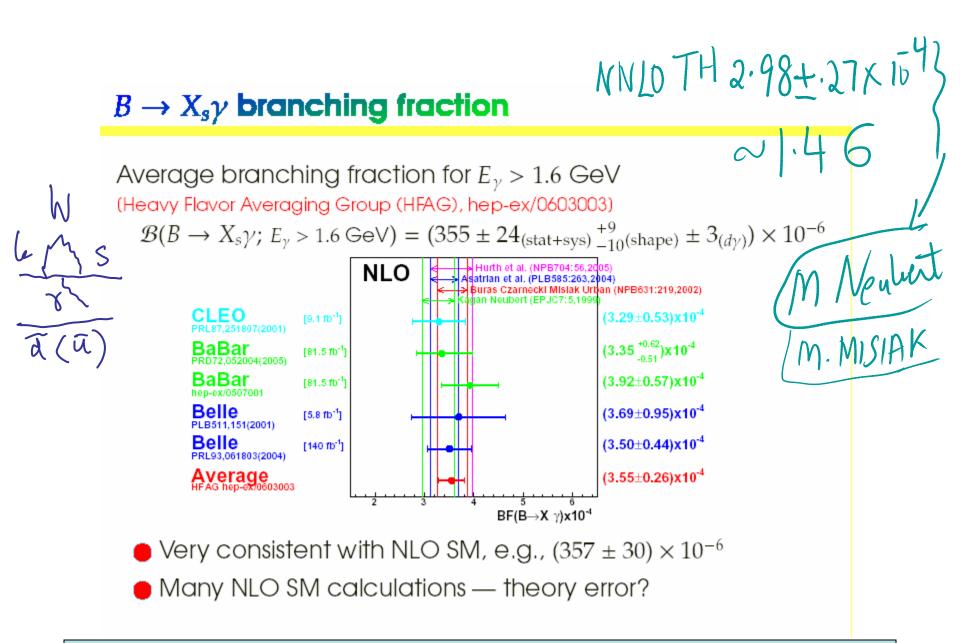


Figure 1: Warped geometry with flavor from fermion localization. The Higgs field resides on the TeV-brane. The size of the extra dimension is  $\pi r_c \sim M_P^{-1}$ .

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### Some other noteable effects

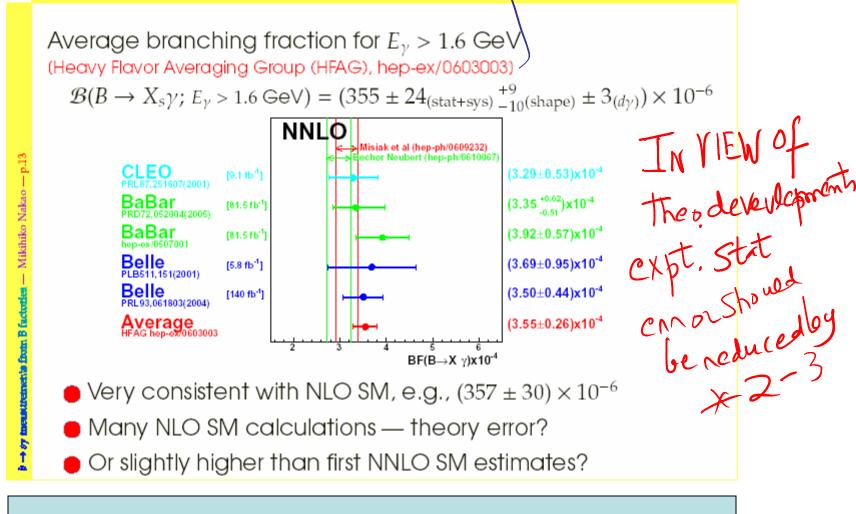
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Mikihiko Nakao @ CKM06; c also Matthias Neubert

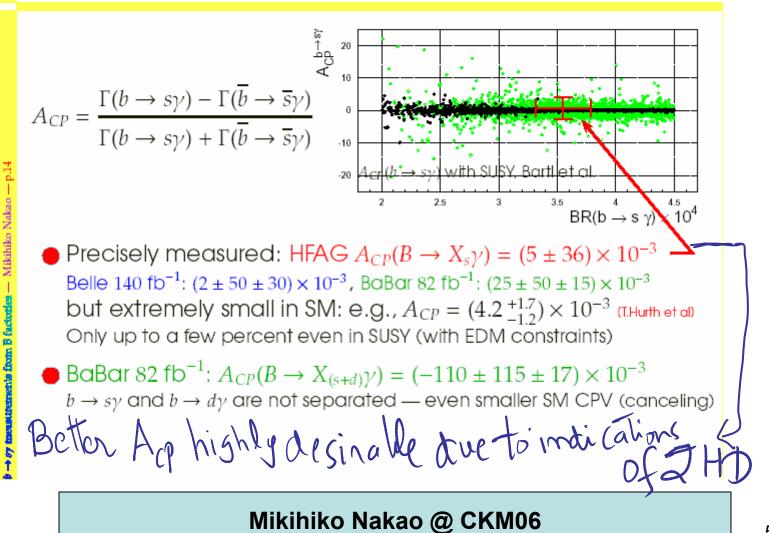


#### $B \rightarrow X_s \gamma$ branching fraction



#### Mikihiko Nakao @ CKM06 ; c also Matthias Neubert

#### Direct CP asymmetry



## Summary of CDF Results on B<sup>0</sup><sub>s</sub>

A. Abulencia et al., hep-ex/0609040, accepted by Phys. Rev. Lett.

**Observation of B**<sub>s</sub> **Oscillations and precise measurement of**  $\Delta m_s$ 

 $\Delta m_s = 17.77 \pm 0.10 \text{ (stat.)} \pm 0.07 \text{ (syst.)} \text{ ps}^{-1}$   $\Delta m_s \text{ (SM)} = 19.8 \pm 3.5 \text{ At wood} + \text{Son} \text{ PLB/O}$ Precision: 0.7% Probability random fluctuation mimics signal: 8£10<sup>-8</sup>  $N \in \mathcal{W} \text{ '07}: 18.6 \pm 2.3 \text{ LuNGHI}$  (2.83 THz, 0.012 eV) + AS USING Amgest after the simple signal

Most precise measurement of  $|V_{td}/V_{ts}|$ 

 $igg| rac{V_{td}}{V_{ts}} igg| = 0.2060 \pm 0.0007 \, ( ext{exp.})^{+0.0081}_{-0.0060} \, ( ext{theo.})$ 

#### **Kevin Pitts**

#### Two Higgs Doublet Models with Natural Flavor Conservation

The charged Higgs boson interactions with the quark sector are governed by the Lagrangian

$$\mathcal{L} = \frac{g}{2\sqrt{2}M_W} H^{\pm} \left[ V_{ij} m_{u_i} A_u \bar{u}_i (1 - \gamma_5) d_j + V_{ij} m_{d_j} A_d \bar{u}_i (1 + \gamma_5) d_j \right] + h.c. \,,$$

where g is the usual SU(2) coupling constant and  $V_{ij}$  represents the appropriate CKM element. In model I,  $A_u = \cot \beta$  and  $A_d = -\cot \beta$ , while in model II,  $A_u = \cot \beta$  and  $A_d = -\cot \beta$ , while in model II,  $A_u = \cot \beta$  and  $A_d = \tan \beta$ , where  $\tan \beta \equiv v_2/v_1$  is the ratio of vev

#### Part of SUSY

### **T2HDM: 2HiggsDM for the top quark**

[see Das,Kao('96);Kirers,Wu,AS('99)...]

- 2<sup>nd</sup> doublet couples only to top (1<sup>st</sup> doublet
  - to all else), so that with  $V_2/V_1 >>1$ , natural

way to get a very heavy top T2HDM Possibly disproves SUSY?

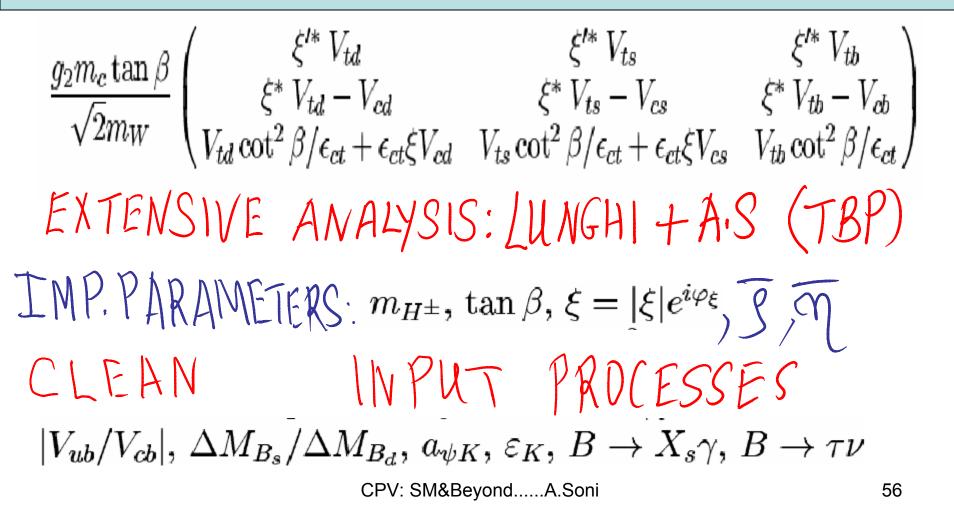
# $\mathcal{L}_{Y} = -\bar{L}_{L}\phi_{1}El_{R} - \bar{Q}_{L}\phi_{1}Fd_{R} - \bar{Q}_{L}\tilde{\phi}_{1}G\mathbf{1}^{(1)}u_{R}$ $-\bar{Q}_{L}\tilde{\phi}_{2}G\mathbf{1}^{(2)}u_{R} + \text{H.c.},$

Here  $\phi_1$  are the two Higgs doublets; E, F and G are 3 X 3 Yukawa matrices giving masses respectively to the charged letptons, the down and up type quarks;  $\mathbf{I}^{(1)} \equiv diag(1,1,0)$  and  $\mathbf{I}^{(2)} \equiv diag(0,0,1)$  are the two orthogonal projectors onto the 1st two and third family respectively.  $Q_L$  and  $L_L$  are the usual left-handed quark and lepton doublets.

- (b) T2HDM should be viewed as LEET that parametrizes through the yukawa interactions some high energy dynamics which generates the top quark mass as well as the weak scale...
- (c) In addition to largish  $tan\beta$  the model has restrictive FCNC (since it belongs to type III) amongst only the up-type

## H<sup>+-</sup> phenomenology in T2HDM

#### $H^{+-}$ interactions with $U_R$ and $D_L$



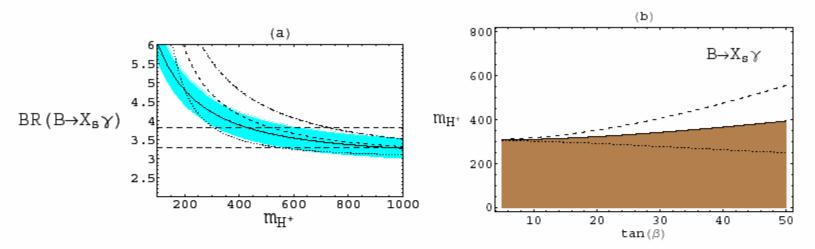


Figure 5: Plot a.  $m_{H^{\pm}}$  dependence of the branching ratio  $B \to X_s \gamma$  in units of  $10^{-4}$ . Solid, dashed, dotted and dotted-dashed lines correspond to  $(\tan \beta, \xi) = (10, 0), (50, 0), (50, 1)$  and (50, -1), respectively. There is no appreciable dependence on  $\xi'$ . The two horizontal dashed lines are the experimental 68%C.L. allowed region. The blue region represents the theory uncertainty associated to the solid line (similar bands can be drown for the other cases). Plot b. Portion of the  $(\tan \beta, m_{H^{\pm}})$  plane excluded at 68%C.L. by the  $B \to X_s \gamma$  measurement. The shaded area corresponds to  $\xi = 0$ . The dotted and dashed lines show how this region changes for  $\xi = 1$  and -1, respectively.

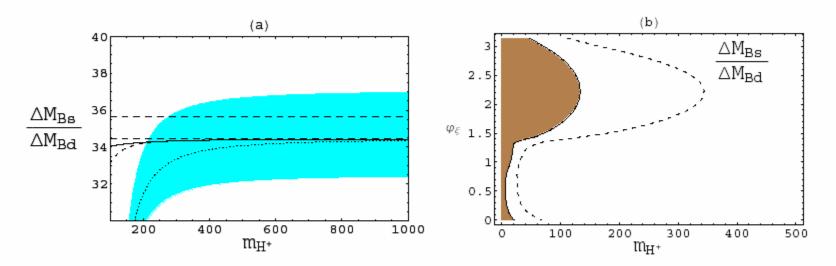


Figure 10: Plot a.  $m_{H^{\pm}}$  dependence of the T2HDM contributions to  $\Delta m_{B_{(s)}}/\Delta m_{B_{(d)}}$ . See the caption in Fig. 9. Plot b. Excluded region in the  $(\varphi_{\xi}, m_{H^{\pm}})$  plane. The solid and dashed contours correspond to tan  $\beta = 30$  and 50, respectively.

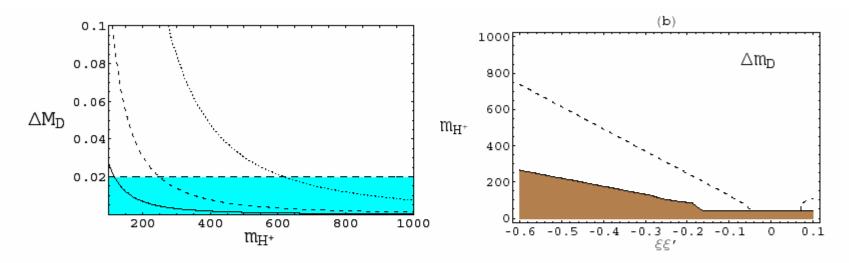
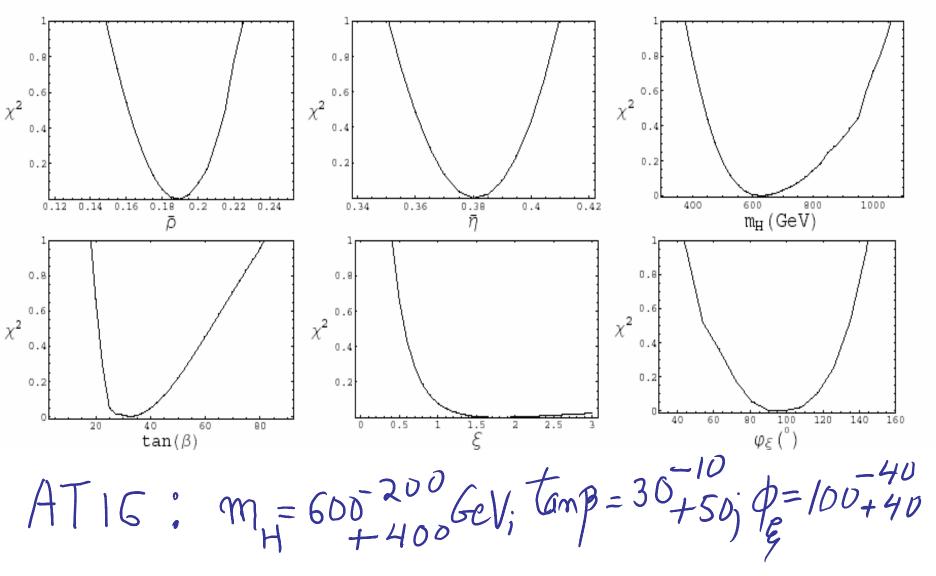
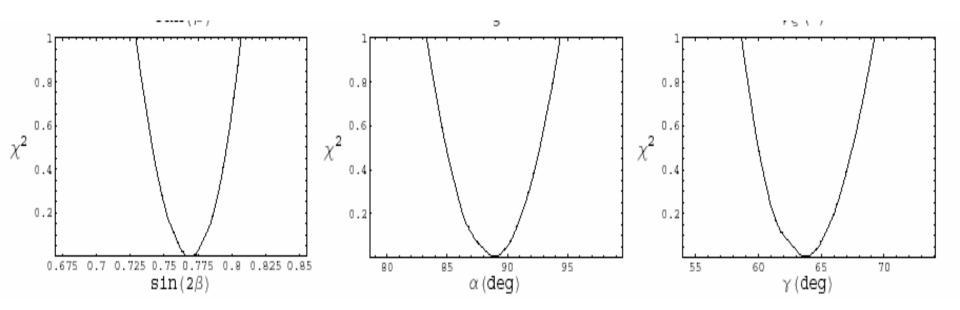


Figure 11: Plot a.  $m_{H^{\pm}}$  dependence of the T2HDM contributions to  $\Delta m_D$ . Solid, dashed and dotted lines correspond to  $|\xi\xi'| = 0.1, 0.2$  and 0.5, respectively. We fix  $\tan \beta = 50$ . The horizontal dashed line is the experimental upper limit. Plot b. Portion of the  $(\xi\xi', m_{H^{\pm}})$  plane excluded by  $\Delta m_D$ . The shaded area corresponds to  $\tan \beta = 30$ . The dashed line to  $\tan \beta = 50$ .



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Direct CP violation in Radiative B decays in and beyond the

#### SM

Kiers, soni and Wu hep-ph/0006280 (some input from refs. / below)

Model	$A_{CP}^{B o X_{S}\gamma}(\%)$	$A_{CP}^{B  o X_d \gamma}(\%)$
SM	0.6	-16
2HDM (Model II)	$\approx 0.6$	$\approx -16$
3HDM	-3 to +3	-20 to +20
T2HDM	pprox 0 to +0.6	pprox -16 to +4
Supergravity[*]	pprox -10 to +10	-(5 - 45) and (2
SUSY with squark mixing[+]	pprox -15 to +15	
SUSY with R-parity violation[+*]	pprox -17 to +17	

\* : T. Goto et al hep-ph/9812369; M. Aoki et al, hepph/9811251. + : C.-K Chua et al hep-ph/9808431; Y.G.Kim et al NPB544,64(99); Kagan and Neubert,hep-ph/9803368.

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## B-Factory Signals for a WED [Agashe,Perez,Soni,hep-

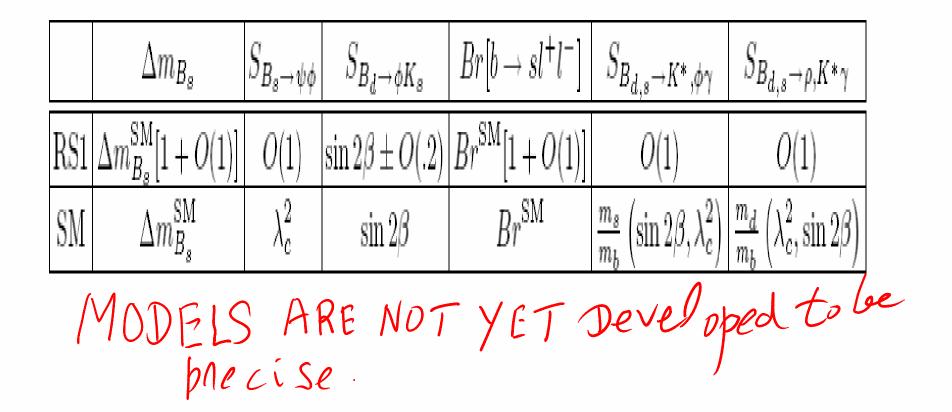
ph/0406101(PRL);0408134(PRD)]

- RS1 with a WARPED EXTRA DIMENSION (WED) provides an elegant solution to the HP
- In this framework, due to warped higher-dimensional spacetime, the mass scales (i.e. flavors) in an effective 4D description depend on location in ED. Thus, e.g. the light fermions are localized near the Plank brane where the effective cut-off is much higher than TeV so that FCNC's from HDO are greatly suppressed.. The top quark,on the other hand is localized on the TeV brane so that it gets a large 4D top Yukawa coupling.
- Thus, KK-masses >~ 3TeV become possible.

## Key features of WED

- <u>Amielorating the Flavor Problem</u>. This provides an understanding of hierarchy of fermion masses w/o hierarchies in fundamental 5D params. Thus "solving" the SM flavor problem.
- Flavor violations Most flavor-violating effects arise due to the violation of RS-GIM mechanism by the large top mass.
- This originates from the fact that (t,b)<sub>L</sub> is localized on the TeV brane.

# Contrasting B-Factory Signals from WED with those from the



# BSM implications for edm's

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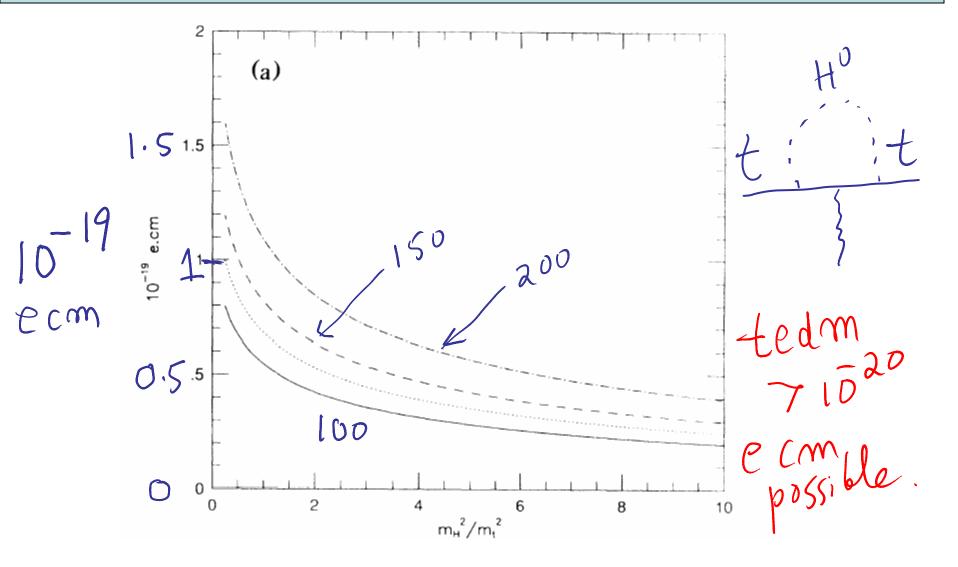
#### Neutron EDM: a classic "null" test

- In the SM NEDM cannot arise at least to two
- loops in EW.....expect  $< 10^{-31}$  ecm
- Long series of experiments now place
- a 90% CL bound, <6.3 X 10<sup>-26</sup> ecm (Harris et
- al, '99)
- In numerous BSM, including SUSY, Warped
- extra-dimensions, ..... neutron edm close
- to current bound is expected SHOULD BE PURSUED with very high priority?

### Top quark EDM: a clean "null" test

- Top is so heavy compared to other quarks that
- GIM mechanism is super-effective -> all SM
- CP violation effects are vanishingly small.
- As one concrete illustration is the top quark
- Electric dipole moment....In the SM you need to
- Go to 2 loops in EW

#### R. Xu + A. S, PRL '92 {Electric dipole moment of top-quark with an extended Higgs sector}



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# Top quark dipole moment form factors in BSM scenarios {Atwood, Bar-Shalom, Eilam & A.S, Phys. Reports '01}

					-
type of moment	$\sqrt{s}$	Standard	neutral Higgs	charged Higgs	Supersymmetry
$(e-cm)$ $\Downarrow$	$(\mathrm{GeV}) \Downarrow$	Model	$m_h = 100 - 300$	$m_{H^+} = 200 - 500$	$m_{\tilde{g}} = 200 - 500$
	500		$(4.1 - 2.0) \times 10^{-19}$	$(29.1 - 2.1) \times 10^{-22}$	$(3.3 - 0.9) \times 10^{-19}$
$ \Im \mathbf{m}(d_t^\gamma) $		$< 10^{-30}$			
	1000		$(0.9 - 0.8) \times 10^{-19}$	$(15.7 - 1.0) \times 10^{-22}$	$(1.2 - 0.8) \times 10^{-19}$
	500		$(0.3 - 0.8)  imes 10^{-19}$	$(33.4 - 1.5) \times 10^{-22}$	$(0.3 - 0.9) \times 10^{-19}$
$ \Re \mathrm{e}(d_t^\gamma) $		$< 10^{-30}$			
	1000		$(0.7 - 0.2)  imes 10^{-19}$	$(0.3 - 2.7)  imes 10^{-22}$	$(1.1 - 0.3) \times 10^{-19}$
	500		$(1.1 - 0.2)  imes 10^{-19}$	$(15.8 - 2.5) \times 10^{-22}$	$(1.1 - 0.3) \times 10^{-19}$
$ \Im{ m m}(d_t^Z) $		$< 10^{-30}$			
	1000		$(0.2 - 0.2)  imes 10^{-19}$	$(9.2 - 1.2) \times 10^{-22}$	$(0.4 - 0.3) \times 10^{-19}$
	500		$(1.6 - 0.2) \times 10^{-19}$	$(22.9 - 0.8) \times 10^{-22}$	$(0.1 - 0.3) \times 10^{-19}$
$ \Re \mathrm{e}(d_t^Z) $		$< 10^{-30}$			
	1000		$(0.2 - 1.4) \times 10^{-19}$	$(0.6 - 1.9) \times 10^{-22}$	$(0.4 - 0.1) \times 10^{-19}$
	1	0	n	$\bigcirc$	
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Table 5: Attainable 1- $\sigma$  sensitivities to the CP-violating dipole moment form factors in units of  $10^{-18}$  e-cm, with  $(P_e = \pm 1)$  and without  $(P_e = 0)$  beam polarization.  $m_t = 180$  GeV. Table taken from [175].

				$\bigcap$			
	20 fb	$0  {\rm fb}^{-1}, \sqrt{s} = 500  {\rm GeV}$			$50 \text{ fb}^{-1}, \sqrt{s} = 800 \text{ GeV}$		
	$P_{\epsilon} = 0$	$P_{\epsilon} = +1$	$P_e = -1$	$P_e = 0$	$P_e = +1$	$P_e = -1$	
$\delta(\Re \mathbf{e} d_t^\gamma)$	4.6	0.86	0.55	1.7	0.35	0.23	
$\delta(\Re e d_t^Z)$	1.6	1.6	1.0	0.91	0.85	0.55	
$\delta(\Im \mathrm{m} d_t^\gamma)$	1.3	1.0	0.65	0.57	0.49	0.32	
$\delta(\Im \mathbf{m} d_t^Z)$	7.3	2.0	1.3	4.0	0.89	0.58	

PHY. Rep. "CPV in top-quark Physics" Atwood, Barshalom, E. Ram + A.S. CPV: SM&Beyond.....A.Soni

## Summary & Outlook

- Asym. B factories + Lattice -> KM phase is the dominant contributor to observed CP
- Search for BSM-CP-odd phase imposes greater demands of precision on expt. & on theory
- ΔS test of the CKM-paradigm extremely tantalizing with ~2.5 -3.5σ deviations-> EXCITING
- Given that such effects occur quite naturally in most BSMs the expt. situation needs to be clarified at the highest priority.
- Most of the BSMs also exhibit nedm ~ 10<sup>-26</sup> ecm & tedm ~ 10<sup>-19</sup> ecm; should pursue both vigorously.
- . B-factories are hinting an exciting LHC-era!

## **EXTRAS**

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### **Basics of the framework**

between the relevant models considered below. The basic set-up of our models is the RS1 framework [1]. The space time of the model is described by a slice of ADS<sub>5</sub> with curvature scale,  $k \sim M_{Pl}$ , the 4D Planck mass. The Planck brane is located at  $\theta = 0$ , where  $\theta$  is the compact extra dimension coordinate. The TeV brane is located at  $\theta = \pi$ . The metric of RS1 can be written as:

$$(ds)^2 = \frac{1}{(kz)^2} \left[ \eta_{\mu\nu} dx^{\mu} dx^{\nu} - (dz)^2 \right],$$
 (1)

where  $kz=e^{kr_c\theta}$  . We assume that  $k\pi r_c\sim \log{(M_{\rm Pl}/{\rm TeV})}$  to solve the hierarchy problem,

$$\left(z_h \equiv \frac{1}{k}\right) \le z \le \left(z_v \equiv \frac{e^{k\pi r_c}}{k}\right),\tag{2}$$

where  $z_v \sim \text{TeV}^{-1}$ .

The gauge group of the models under study is given by [9, 10]  $SU(3)_c \times SU(2)_L \times SU(2)_R \times U(1)_{B-L}$ . The gauge symmetry is broken on the Planck brane down to the SM gauge group and in the TeV brane it is broken down to  $SU(3)_c \times SU(2)_D \times U(1)_{B-L}$ .  $SU(2)_D$  is the diagonal subgroup of the two SU(2)'s present in the bulk.

## NP Contributions due WED

There are essentially 3 types of top quark dominated FCNC contributions:

i) Contributions to FCNC processes arise

from a relatively large dispersion in the doublets 5D masses, specifically large coupling of (t,b)<sub>L</sub> to gauge modes due to

heaviness of the t-SM&Beyond.....A.Soni

# ii) Contributions to FCNC processs (mostly semi-leptonic)

- These arise from contribution of i) and mixing between the zero and KK states of the Z due to EWSB.
- iii) Contribution to radiative B-decays via
   dipole operators arise from large 5D Yukawa
   required to obtain m<sub>t</sub>

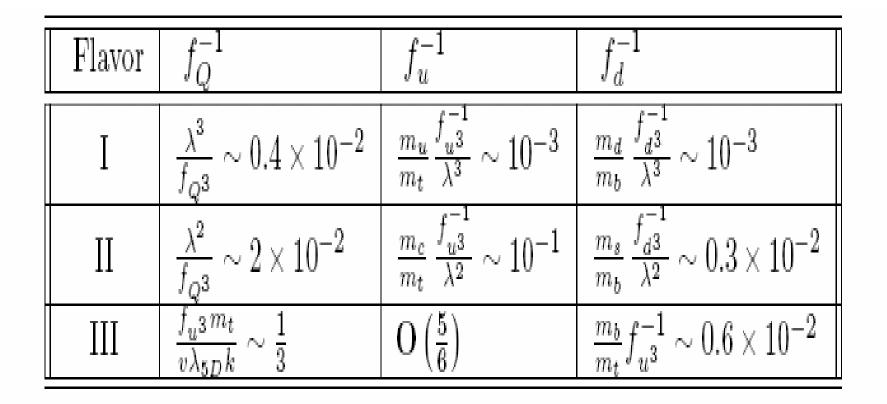


Table 3: The known quark masses and CKM mixing implies relation between the model flavor parameters,  $f_{x^i}$ , (11,12). The value of  $f_{u^3}$ ,  $\lambda_{5D}$  is determined by requiring the theory is perturbative (13,14).

# Notable FCNC characteristic (see table)

 $f_{x^i}^{-1}$  apart from the ones related to the top mass are small. This implies that the model has a built-in approximate flavor symmetry for the light quarks. This is indeed the reason why the framework may avoid the severe constraint from FCNC processes with such a low KK masses. We can compare this with the flat extra dimension models which require KK masses of  $\mathcal{O}(1000 \,\mathrm{TeV})$ .

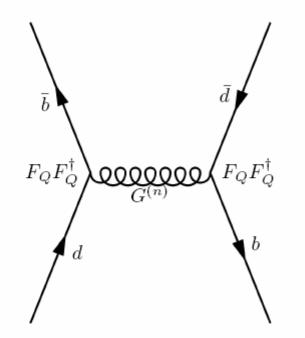


Fig. 1: Contributions to  $\Delta F=2$  processes from KK gluon exchange.